

Name:

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Chapter 3

3.1 [3] <§3.2> Convert 4096_{ten} into a 32-bit two's complement binary number.

3.2 [3] <§3.2> Convert -2047_{ten} into a 32-bit two's complement binary number.

3.3 [5] <§3.2> Convert $-2,000,000_{\text{ten}}$ into a 32-bit two's complement binary number.

3.4 [5] <§3.2> What decimal number does this two's complement binary number represent: $1111\ 1111\ 1111\ 1111\ 1111\ 1111\ 0000\ 0110_{\text{two}}$?

3.5 [5] <§3.2> What decimal number does this two's complement binary number represent: $1111\ 1111\ 1111\ 1111\ 1111\ 1111\ 1110\ 1111_{\text{two}}$?

3.6 [5] <§3.2> What decimal number does this two's complement binary number represent: $0111\ 1111\ 1111\ 1111\ 1111\ 1111\ 1110\ 1111_{\text{two}}$?

3.9 [10] <§3.2> If A is a 32-bit address, typically an instruction sequence such as

```
lui $t0, A_upper
ori $t0, $t0, A_lower
lw $s0, 0($t0)
```

can be used to load the word at A into a register (in this case, \$s0). Consider the following alternative, which is more efficient:

```
lui $t0, A_upper_adjusted
lw $s0, A_lower($t0)
```

Describe how A_upper is adjusted to allow this simpler code to work. (Hint: A_upper needs to be adjusted because A_lower will be sign-extended.)

3.10 [10] <§3.3> Find the shortest sequence of MIPS instructions to determine if there is a carry out from the addition of two registers, say, registers \$t3 and \$t4. Place a 0 or 1 in register \$t2 if the carry out is 0 or 1, respectively. (Hint: It can be done in two instructions.)

3.27 <§§3.3, 3.4, 3.5> With $x = 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0101\ 1011_{\text{two}}$ and $y = 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 1101_{\text{two}}$ representing two's complement signed integers, perform, showing all work:

- a. $x + y$
- b. $x - y$
- c. $x * y$
- d. x/y

3.28 [20] <§§3.3, 3.4, 3.5> Perform the same operations as Exercise 3.27, but with $x = 1111\ 1111\ 1111\ 1111\ 1011\ 0011\ 0101\ 0011$ and $y = 0000\ 0000\ 0000\ 0000\ 0000\ 0010\ 1101\ 0111_{\text{two}}$.

3.30 [15] <§§3.2, 3.6> The Big Picture on page 216 mentions that bits have no inherent meaning. Given the bit pattern:

101011010001 0000 0000 0000 0000 0010

what does it represent, assuming that it is

- a. a two's complement integer?
- b. an unsigned integer?
- c. a single precision floating-point number?

3.35 [5] <§3.6> Add $2.85_{\text{ten}} \times 10^3$ to $9.84_{\text{ten}} \times 10^4$, assuming that you have only three significant digits, first with guard and round digits and then without them.

3.36 $(111011.01)_B = (\quad)_D$

$(352)_D = (\quad)_H$

$(72)_O = (\quad)_B$

$(01011011) = (\quad)_H$